Timer accuracy estimation for FTLRS, the French Transportable Laser Ranging Station, **OCA-GEMINI Grasse (FRANCE)**

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Introduction

- What are we looking for?
- > Estimate the accuracy of FTLRS chronometry system

What conditions?

- > External calibration (100 to 300 meters)
- For satellites tracking (400 to 10000 km)
- > Time evolution (long-lasting effect)
- > Very short time intervals (internal calibration less than 30 ns)

How?

- With two timing systems:
 - > FTLRS Stanford chronometer

> 2 Dassault Timers, our reference for accuracy estimation. Simultaneously : on same events (echo or noise) In same Context

- Iaser for start
- Photodiode for stop
 - Without mutual perturbation

Measurement results

For each measurement type, the relative difference between the 2 timing systems (Dassault timers - Stanford chronometer) is on Y_axis in picoseconds, and roundtrip time (or distance) on X_axis.

Global Plot (to 11000 km)



Distance in meter

From 15 to 55 nanoseconds





For close internal calibration , Best choice with roundtrip time longer than 34 ns

Complementary measurements to achieve

No problem with time stability: time stability behavior doesn't depend on range

time stability



FTLRS tent (bad weather)

FTLRS in Chania (Crete) Gavdos campaign - April to October 2004 -

Hardware configuration





Under lab tests in April - Mai 2004



Data acquisition achieved by normal or simulation tracking software (VME real time and Linux system)

For ftlrs system with Stanford, the dating is absolute For Dassault timers, the dating is

Gavdos positioning result

Crete campaign in 2003 with 5 months of operations



Position estimated every 7 days while bias remains estimated with the whole data



dφ = -	$d\phi$ = -0,58 cm					
$d\lambda = 0,16 \text{ cm}$		\pm 0,33 cm	(Relative to GPS JCET solution)			
dh = 1,25 cm		\pm 0,28 cm				
Biase	s LA1	= -0,96 cm	± 0,21	cm 🗌		
	LA2 = -		±0,18	cm		
STA =		= -1,57 cm	±0,11	cm	Correlation position/bias = 0,57	
	STE = -2,02 cm		±0,11	cm		
	Correlation position/bias decreases significantly					

Bias is globally lower B = 10 ± 2 mm



Conclusion

It is very important to model chronometry behavior at different ranges, and to correct calibration value accordingly

- Stanford Chronometer can achieve few millimeters accuracy during satellites tracking (from 400 to 10000 km) Range near external calibration is easy to model.
- Correction to achieve for external calibration can be tuned to 30/60 picos, depending on the target's range. Values near internal calibration range are more difficult to evaluate, except when the roundtrip time is longer than 34 nanoseconds. Difference between external and internal calibrations is about 50 picos (7,5 mm)







— Range dependence